Decision 1: Pseudo Code

Past Exam Questions 2006 - 2013

Name:

6 Two algorithms are shown.

Algorithm 1 Algorithm 2 Line 10 Input P Line 10 Input P Line 20 Input R Line 20 Input R Line 30 Input T Line 30 Input T Line 40 Let I = (P * R * T)/100Line 40 Let A = PLet A = P + IK = 0Line 50 Line 50 Let M = A/(12 * T)Let K = K + 1Line 60 Line 60 Line 70 Print M Let I = (A * R)/100Line 70 Let A = A + ILine 80 Stop Line 80 If $K \le T$ then goto Line 60 Line 90 Let M = A/(12 * T)Line 100

Line 110 Line 120 Print M

Stop

In the case where the input values are P = 400, R = 5 and T = 3:

(a) trace Algorithm 1;

(3 marks)

(b) trace Algorithm 2.

(4 marks)

5 A student is using the following algorithm with different values of A and B.

Line 10 Input A, BLine 20 Let C = 0 and let D = 0Line 30 Let C = C + ALine 40 Let D = D + BLine 50 If C = D then go to Line 110 If C > D then go to Line 90 Line 60 Let C = C + ALine 70 Go to Line 50 Line 80 Line 90 Let D = D + BGo to Line 50 Line 100 Print C Line 110

(a) (i) Trace the algorithm in the case where A = 2 and B = 3. (3 marks)

End

- (ii) Trace the algorithm in the case where A = 6 and B = 8. (3 marks)
- (b) State the purpose of the algorithm.

Line 120

(1 mark)

(c) Write down the final value of C in the case where A = 200 and B = 300. (1 mark)

6 A student is solving cubic equations that have three different positive integer solutions.

The algorithm that the student is using is as follows:

```
Line 10
             Input A, B, C, D
Line 20
             Let K = 1
             Let N = 0
Line 30
             Let X = K
Line 40
             Let Y = AX^3 + BX^2 + CX + D
Line 50
             If Y \neq 0 then go to Line 100
Line 60
Line 70
             Print X, "is a solution"
             Let N = N + 1
Line 80
             If N = 3 then go to Line 120
Line 90
Line 100
             Let K = K + 1
             Go to Line 40
Line 110
Line 120
             End
```

(a) Trace the algorithm in the case where the input values are:

(i)
$$A = 1$$
, $B = -6$, $C = 11$ and $D = -6$; (4 marks)

(ii)
$$A = 1$$
, $B = -10$, $C = 29$ and $D = -20$. (4 marks)

(b) Explain where and why this algorithm will fail if A = 0. (2 marks)

January 2009

Line 10

5 A student is using the algorithm below to find an approximate value of $\sqrt{2}$.

```
Line 20
                Let D = 1, E = 2, F = 0
                Let G = B/E
Line 30
                Let H = G^2
Line 40
                If (H-2)^2 < 0.0001 then go to Line 130
Line 50
Line 60
                Let C = 2B + A
Line 70
                Let A = B
Line 80
                Let B = C
Line 90
                Let F = 2E + D
                Let D = E
Line 100
                Let E = F
Line 110
Line 120
                Go to Line 30
                Print '\sqrt{2} is approximately', B/E
Line 130
Line 140
                Stop
```

Let A = 1, B = 3, C = 0

Trace the algorithm. (6 marks)

6 A student is finding a numerical approximation for the area under a curve.

The algorithm that the student is using is as follows:

Line 10
 Input
$$A, B, N$$

 Line 20
 Let $T = 0$

 Line 30
 Let $D = A$

 Line 40
 Let $H = (B - A)/N$

 Line 50
 Let $E = H/2$

 Line 60
 Let $T = T + A^3 + B^3$

 Line 70
 Let $D = D + H$

 Line 80
 If $D = B$ then go to line 110

 Line 90
 Let $T = T + 2D^3$

 Line 100
 Go to line 70

 Line 110
 Print 'Area = ', $T \times E$

 Line 120
 End

Trace the algorithm in the case where the input values are:

(a)
$$A = 1$$
, $B = 5$, $N = 2$; (4 marks)

(b)
$$A = 1$$
, $B = 5$, $N = 4$. (4 marks)

June 2010

7 A student is testing a numerical method for finding an approximation for π .

The algorithm that the student is using is as follows.

Line 10 Input
$$A$$
, B , C , D , E

Line 20 Let $A = A + 2$

Line 30 Let $B = -B$

Line 40 Let $C = \frac{B}{A}$

Line 50 Let $D = D + C$

Line 60 Let $E = (D - 3.14)^2$

Line 70 If $E < 0.05$ then go to Line 90

Line 80 Go to Line 20

Line 90 Print ' π is approximately', D

Line 100 End

Trace the algorithm in the case where the input values are

$$A = 1, B = 4, C = 0, D = 4, E = 0$$
 (6 marks)

8 A student is tracing the following algorithm with positive integer values of A and B.

The function INT gives the integer part of a number, eg INT(2.3) = 2 and INT(3.8) = 3.

Line 10 Let
$$X = 0$$
Line 20 Input A , B
Line 30 If $INT(A/2) = A/2$ then go to Line 50
Line 40 Let $X = X + B$
Line 50 If $A = 1$ then go to Line 90
Line 60 Let $A = INT(A/2)$
Line 70 Let $B = 2 \times B$
Line 80 Go to Line 30
Line 90 Print X

- (a) Trace the algorithm in the case where the input values are A = 20 and B = 8.

 (4 marks)
- (b) State the purpose of the algorithm. (1 mark)
- (c) Another student changed Line 50 to

Line 100

Line 50 If A = 1 then go to Line 80

End

Explain what would happen if this algorithm were traced.

(2 marks)

6 A student is tracing the following algorithm.

```
Line 10
               Let A = 6
Line 20
               Let B = 7
Line 30
               Input C
               Let D = (A + B)/2
Line 40
               Let E = C - D^3
Line 50
               If E^2 < 1 then go to Line 120
Line 60
               If E > 0 then go to Line 100
Line 70
               Let B = D
Line 80
Line 90
               Go to Line 40
               Let A = D
Line 100
Line 110
               Go to Line 40
Line 120
               Stop
```

- (a) Trace the algorithm in the case where the input value is C = 300. (4 marks)
- (b) The algorithm is intended to find the approximate cube root of any input number.

State two reasons why the algorithm is unsatisfactory in its present form. (3 marks)

The following algorithm finds an estimate of the value of the number represented by the symbol e:

Line 10 Let A = 1, B = 1, C = 1Line 20 Let D = ALine 30 Let $C = C \times B$ Line 40 Let D = D + (1/C)Line 50 If B = 4 then go to Line 80 Line 60 Let B = B + 1Go to Line 30 Line 70 Print 'An estimate of e is', D Line 80

End

(a) Trace the algorithm.

Line 90

(6 marks)

(b) A student miscopied Line 70.

His line was

Line 70 Go to Line 10

Explain what would happen if his algorithm were traced.

(2 marks)

A student is tracing the following algorithm. The function INT gives the integer part of any number, eg INT(2.3) = 2 and INT(6.7) = 6.

Line 10 Input A, BLet $C = INT(A \div B)$ Line 20 Line 30 Let $D = B \times C$ Line 40 Let E = A - DIf E = 0 then go to Line 90 Line 50 Line 60 Let A = BLine 70 Let B = ELine 80 Go to Line 20 Line 90 Print B Line 100 Stop

(a) Trace the algorithm when the input values are:

(i)
$$A = 36$$
 and $B = 16$; (3 marks)

(ii)
$$A = 11$$
 and $B = 7$. (5 marks)

(b) State the purpose of the algorithm. (1 mark)